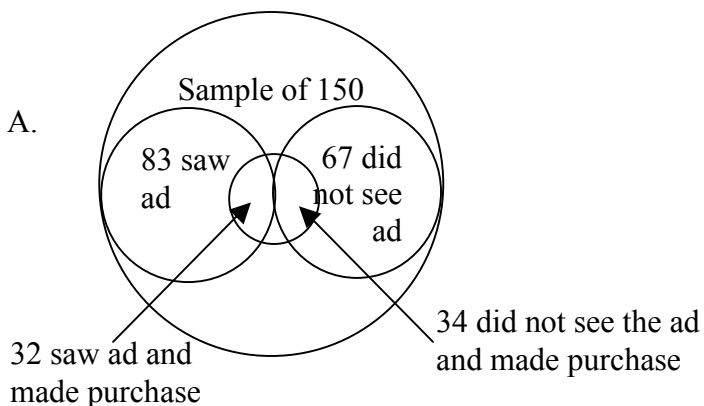


Answers to Chapter 10 Exercises

1. Questions without an answer have answers in the back of the text book.
2. If Dr. Jones uses a random method to select when the quizzes are, then Monday is as likely as any other day for a quiz. The random processes does not / cannot remember which day was selected on previous occasions, and which days were selected cannot influence which day is selected this time. This is an example of the gambler's fallacy.
- 3.
4. No – Alex Jr.'s argument is invalid. Just because other people without a college education have been successful is no guarantee that Alex Jr. will be successful. This is an example of a "Man-Who Statistic."
- 5.
6.
 - A. This is not a random sample. To be random, everyone must have an equal chance of being selected and the selection of one person cannot influence the selection of anyone else. In this example, the first, second, third, and fourth people have a probability of 0 of being selected, while the fifth person has a probability of 1 of being selected.
 - B. This is not a random sample. Once the evening has been selected (at random) none of the viewers on other evenings can be selected. Thus, the selection of one person (from the night being sampled) influences the selection of another person (from the nights not being sampled.)
 - C. This is not a random sample. Once the first student in a class has been selected, all the remaining students in the class cannot be selected. Thus, the selection of one person influences the selection of other people.
 - D. Random (assuming that all people who were called answered the survey.)

7.

8.



B. $p(\text{saw the ad}) = 83 / 150 = .55$ (55%)

C. $p(\text{purchase}) = 66 / 150 = .44$ (44%)

- D. $p(\text{saw ad and purchase}) = p(\text{saw}) \times p(\text{purchase} \mid \text{saw}) = (83 / 150) \times (32 / 83) = .21$ (21%)
- E. $p(\text{did not see ad and purchase}) = p(\text{did not see ad}) \times p(\text{purchase} \mid \text{did not see ad}) = (67 / 150) \times (34 / 67) = .23$ (23%)

9.

10.

	Aggression Prior to Marriage	No Aggression Prior to Marriage	Marginal Probabilities
Aggression After 30 Months of Marriage	$37 / 272 = .136$	$31 / 272 = .114$	$68 / 272 = .250$
No Aggression After 30 Months of Marriage	$47 / 272 = .173$	$157 / 272 = .577$	$204 / 272 = .750$
Marginal Probabilities	$84 / 272 = .309$	$188 / 272 = .691$	272

- A.
- B. $p(\text{Aggression after 30 months of marriage} \mid \text{Aggression prior to marriage}) = p(\text{Aggression after 30 months of marriage and Aggression prior to marriage}) / p(\text{Aggression prior to marriage}) = .136 / .309 = .440$
- C. $p(\text{Aggression prior to marriage} \mid \text{Aggression after 30 months of marriage}) = p(\text{Aggression prior to marriage and aggression after 30 months of marriage}) / p(\text{Aggression after 30 months of marriage}) = .136 / .250 = .544$

11.

12.

	No Record	Conviction	Marginal Probabilities
Truth Teller	$204 / 306 = .667$	$12 / 306 = .039$	$216 / 306 = .706$
Liar	$69 / 306 = .225$	$21 / 306 = .068$	$90 / 306 = .294$
Marginal Probabilities	$273 / 306 = .892$	$33 / 306 = .108$	306

- A.
- B. $p(\text{truth teller} \mid \text{no record}) = p(\text{truth teller and no record}) / p(\text{no record}) = .667 / .892 = .747$
- C. $p(\text{no record} \mid \text{truth teller}) = p(\text{no record and truth teller}) / p(\text{truth teller}) = .667 / .706 = .944$

13.

14.

	Regular Test Positive	Regular Test Negative	Marginal Probabilities
New Test Positive	$110 / 385 = .286$	$44 / 385 = .114$	$154 / 385 = .400$
New Test Negative	$30 / 385 = .078$	$201 / 385 = .522$	$231 / 385 = .600$
Marginal Probabilities	$140 / 385 = .364$	$245 / 385 = .636$	385

- A. $p(\text{new test positive} \mid \text{regular test positive}) = p(\text{new test positive and regular test positive}) / p(\text{regular test positive}) = .286 / .364 = .786$
- B. $p(\text{new test negative} \mid \text{regular test positive}) = p(\text{new test negative and regular test positive}) / p(\text{regular test positive}) = .078 / .364 = .214$
- C. $p(\text{new test correct}) = p((\text{new test positive and regular test positive}) \text{ or } (\text{new test negative and regular test negative})) = p(\text{new test positive and regular test positive}) + p(\text{new test negative and regular test negative}) = .286 + .522 = .808$

15.

16.

	0	1	2	3	4	5	6	7
Freq.	1	5	35	45	23	12	3	1
p	$1/125 = .008$	$5/125 = .040$	$35/125 = .280$	$45/125 = .360$	$23/125 = .184$	$12/125 = .096$	$3/125 = .024$	$1/125 = .008$

- A.
- B. $p(3 \text{ or more changes}) = p(3 \text{ changes}) + p(4 \text{ changes}) + p(5 \text{ changes}) + p(6 \text{ changes}) + p(7 \text{ changes}) = .360 + .184 + .096 + .024 + .008 = .672$
- C. $p(\text{at least 2 changes}) = p(2 \text{ changes}) + p(3 \text{ or more changes}) = .280 + .672 = .952$
- D. $p(\text{changed between 2 and 4 times (inclusive)}) = p(2 \text{ changes}) + p(3 \text{ changes}) + p(4 \text{ changes}) = .280 + .360 + .184 = .824$
- E. Mean number of changes = $(1 \times 0 + 5 \times 1 + 35 \times 2 + 45 \times 3 + 23 \times 4 + 12 \times 5 + 3 \times 6 + 1 \times 7) / 125 = 387 / 125 = 3.096$
- F. These data are slightly skewed positively

17.

18.

Remember:

unit normal distribution is symmetrical (area below a given $-z$ = area beyond a given z)

area under unit normal distribution = 1 (area below a given $z = 1 - \text{area beyond a given } z$)

19.

- A. .1915
- B. .4332
- C. .1151
- D. $1 - .1151 = .8849$
- E. .0548

- F. $1 - .0548 = .9452$
- G. between -1.00 and mean $= .3413$
between mean and $.5 = .1915$
between -1 and $.5 = .3413 + .1915 = .5328$
- H. between -1.65 and mean $= .4505$
between mean and $.5 = .1915$
between -1.65 and $.5 = .4504 + .1915 = .6420$
- I. between -1.96 and mean $= .4750$
between mean and $.5 = .1915$
between -1.96 and $.5 = .4750 + .1915 = .6665$

20.

21.

- A. $.0013$
- B. $1 - .0228 = .9772$
between -2 and mean $= .4772$
between mean and infinity $= .5$
greater than $-2 = .4772 + .5 = .9772$
- C. $.0250$
- D. $1 - .1587 = .8413$
- E. $.5$
- F. $.5 + .4750 = .9750$

22.

23.

- A. between -1.65 and -1.64
- B. between -0.85 and -0.84
- C. between 0.67 and 0.68
- D. between 1.28 and 1.29
- E. -1.65 and 1.65
- F. -0.32 and 0.32

24.

25.

- A. $z = (150 - 500) / 100 = -3.5$. Area above $z = -3.5$ equals $1 - .0002 = .9998$
- B. $z = (550 - 500) / 100 = 0.5$ Area below $z = 0.5$ equals $.3085$
- C. 45th percentile corresponds to $z = -0.13$. $(\text{score} - 500) / 100 = -0.13$ score = 487
- D. $z = (664 - 500) / 100 = 1.64$ Area below $z = 1.64$ equals $0.5 + .4495 = .9495 = 95^{\text{th}}$ percentile
- E. $z = (405 - 500) / 100 = 0.95$ Area below $z = 0.95$ equals $.1711 = 17^{\text{th}}$ percentile
- F. 25th percentile corresponds to $z = -0.68$ 75th percentile corresponds to $z = 0.68$
 $(\text{score} - 500) / 100 = -0.68$, score = 432 (25th percentile)
 $(\text{score} - 500) / 100 = 0.68$, score = 568 (75th percentile)